

## AMENDMENTS TO CLAIMS

This listing of claims will replace all prior versions, and listings, of claims in the application:

### **Listing of Claims:**

1. (Previously Presented) A high speed search method in a speech encoder using an order character of LSP (Line Spectrum Pair) parameters in an LSP parameter quantizer using SVQ (Split Vector Quantization) used in a low-speed transmission speech encoder, the high-speed search method comprising the steps of:

rearranging a first codebook by replacing the first codebook with a new codebook in which a number of code vectors in the new codebook are arranged in an order according to an element value of a reference row of the first codebook for determining a range of code vectors to be searched; and

determining a search range by using an order character between a given target vector and an arranged code vector to obtain an optimal code vector,

wherein the rearranging step comprises the steps of:

selecting the reference row in the first codebook by using a plurality of voice data, and then determining an optimal arrangement position ( $N_m$ ) in which an average search range is minimized; and

replacing the first codebook with the new codebook in which a number ( $L_m$ ) of code vectors in the new codebook are arranged in a descending order according to the element value of a selected said reference row.

2. (Canceled)

3. (Currently Amended) A high-speed search method in a speech encoder using an order character of LSP (Line Spectrum Pair) parameters in an LSP parameter quantizer using SVQ

(Split Vector Quantization) used in a low-speed transmission speech encoder, the high-speed search method comprising the steps of:

rearranging a first codebook by replacing the first codebook with a new codebook in which a number of code vectors in the new codebook are arranged in an order according to an element value of a reference row of the first codebook for determining a range of code vectors to be searched; and

determining a search range by using an order character between a given target vector and an arranged code vector to obtain an optimal code vector,

wherein obtaining an optimal code vector comprises the steps of:

determining the search range by forward and backward comparison of the element value of the reference row in the first codebook and element values of positions before and after a reference position in the target vector; and

obtaining an error criterion ( $E_{l,m}$ ) having high computational complexity by using the following equation only within the determined search range:

$$[[ E_{l,m} = (\mathbf{p}_m - \mathbf{p}_{l,m})^T \mathbf{W}_m (\mathbf{p}_m - \mathbf{p}_{l,m}) ]]$$

$$0 \leq m \leq M - 1$$

$$1 \leq l \leq L_m$$

where  $\mathbf{p}$  is an LSP code vector divided into  $M$  sub-vectors, each of which consists of  $L_m$  code vectors,

where  $\mathbf{p}_m$  is a target vector to search the  $m^{\text{th}}$  codebook, and  $\mathbf{p}_{l,m}$  corresponds to an  $l^{\text{th}}$  code vector in a codebook for an  $m^{\text{th}}$  sub-vector,

where  $l, m$  in the subscript of  $E_{l,m}$  are indices that represent the  $l^{\text{th}}$  index of the  $m^{\text{th}}$  codebook, *i.e.*, the letters “ $l$ ” and “ $m$ ,” and

where superscript  $T$  designates the transpose of  $[(\mathbf{p}_m - \mathbf{p}_{l,m})]$   $(\mathbf{p}_m - \mathbf{p}_{l,m})$  for purposes of determining the dot product of  $[(\mathbf{p}_m - \mathbf{p}_{l,m})]$  and  $\mathbf{W}_m (\mathbf{p}_m - \mathbf{p}_{l,m})]$   $(\mathbf{p}_m - \mathbf{p}_{l,m})$  and  $\mathbf{W}_m (\mathbf{p}_m - \mathbf{p}_{l,m})$  in order to calculate the least-mean-square error  $E_{l,m}$ , and where  $\mathbf{W}_m$  is a weighting matrix for the  $m^{\text{th}}$  sub-vector and obtained by a non-quantized LSP code vector  $\mathbf{p}$ .

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4. (Previously Presented) The high-speed search method as claimed in claim 3,  
wherein the search range is an average number with which an element value of the  $n^{\text{th}}$  row  
in the first codebook and element values in the  $n+1^{\text{th}}$  and  $n-1^{\text{th}}$  positions of the target vector  
satisfy the order character.

5. (Canceled)

6. (Canceled)

7. (Canceled)

8. (Canceled)